

Use the measured preamp output shape to predict the strip efficiency as a function latch time.

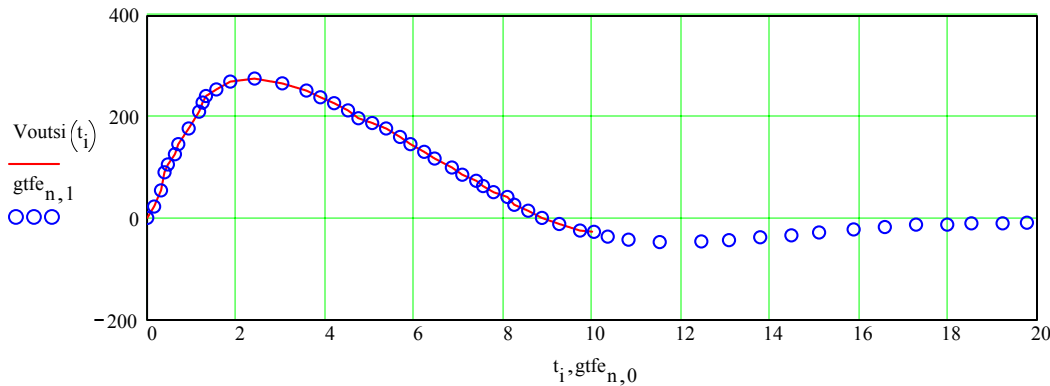
gtfe :=

F:\DIGITIZE\GTFE.G.DAT

Digitized preamp output data from LAT-TD-01090 for G version of GTFE

n := 0 .. rows(gtfe) - 1 i := 0 .. 1000 $t_i := .01 \cdot i$ [usec] zero := gtfe_{0,0} gtfe_{n,0} := gtfe_{n,0} - zero

Voutsi(t) := linterp(gtfe<0>, gtfe<1>, t)



tmx := 1. tsi_peak := Maximize(Voutsi, tmx) tsi_peak = 2.4125 [usec]

For a given time delay from the beginning of the pulse, how often does noise cause the output to dip below the discriminator threshold (and therefore not be latched) ? This is a question of what is the probability to exceed a certain number of sigmas in the negative going direction.

$$P(\text{nsigma}) := \frac{1 - \text{erf}\left(\frac{|\text{nsigma}|}{\sqrt{2}}\right)}{2}$$

This is the probability of exceeding nsigma

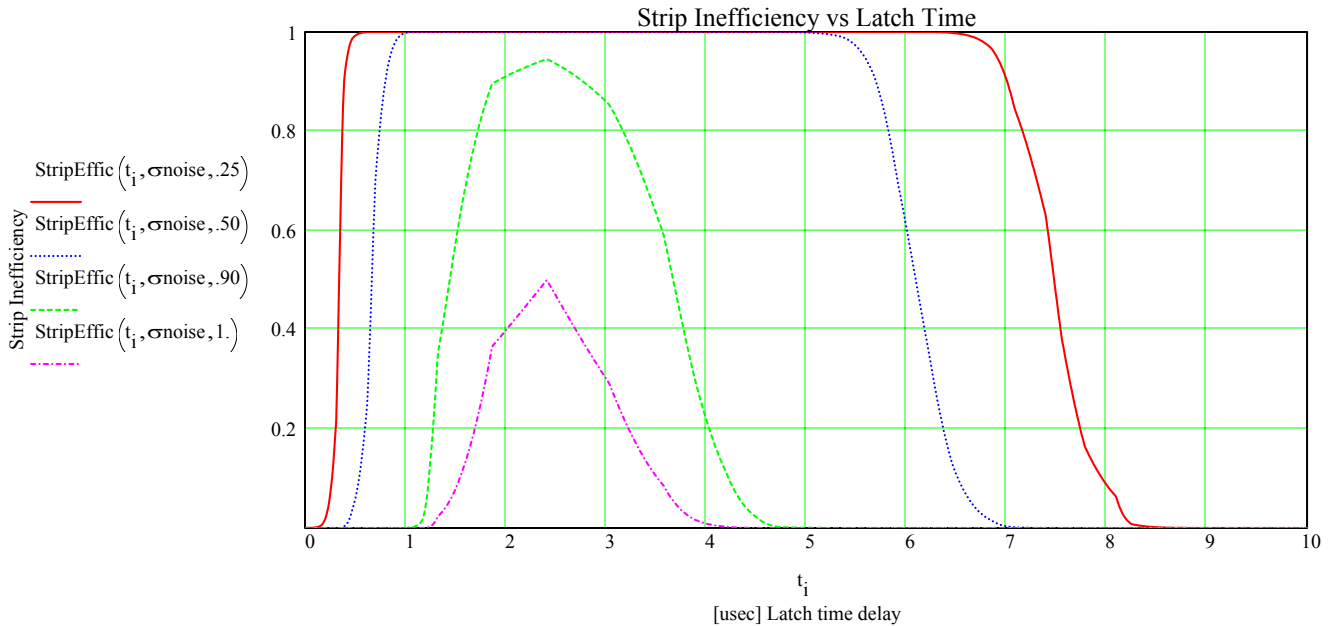
$$\text{Plow}(\text{nsigma}) := \begin{cases} \text{Plow} \leftarrow P(\text{nsigma}) & \text{if } \text{nsigma} \geq 0 \\ \text{Plow} \leftarrow 1 - P(-\text{nsigma}) & \text{if } \text{nsigma} < 0 \\ \text{Plow} & \end{cases}$$

This is the probability of being below the disc which is nsigma away

Let Vsiout be the voltage generated by 32000 elec on one strip . The disc is set at "disc" fraction of the peak elec pulse height.

$$\text{StripEffic}(t, \sigma_{\text{noise}}, \text{disc}) := \begin{cases} \text{Vdisc} \leftarrow \text{disc} \cdot \text{Voutsi}(\text{tsi_peak}) \\ \text{V}\sigma_{\text{noise}} \leftarrow \frac{\sigma_{\text{noise}}}{32000} \cdot \text{Voutsi}(\text{tsi_peak}) \\ \text{nsg} \leftarrow \frac{\text{Voutsi}(t) - \text{Vdisc}}{\text{V}\sigma_{\text{noise}}} \\ \text{StripEffic} \leftarrow 1 - \text{Plow}(\text{nsg}) \\ \text{StripEffic} \end{cases}$$

$\sigma_{noise} := 2000$ rms electrons of noise



We will trigger the tracker off a scintillator muon telescope using the external trigger input on the TEM. For a fixed time delay we will histogram the number of hits per layer per event. The mean of the histogram will be a maximum at the most efficient time delay. In order to see the peak in the efficiency with our statistics (~100 triggers), set the disc rather high (~.90). The time delay for max effic should not be a function of the disc setting.

The 5"x 5" scintillator and 24" x 24" scintillator spaced 65" apart will accept cosmics only up to 10 deg from the vertical. Thus (neglecting δ rays) assume all the scintillator telescope triggers deposit ionization in only one strip. We should typically see 1 hit per layer or 0 hits if the single strip signal fluctuates below the disc threshold at latch time.

thick := 400 pitch := 200

$$\text{FracCosmicShare} := \int_0^{\frac{10}{180} \cdot \pi} \frac{\text{thick} \cdot \tan(\theta)}{\text{pitch} - \text{thick} \cdot \tan(\theta)} \cdot \sin(\theta) d\theta \qquad \text{FracCosmicShare} = 0.0049$$

Mike says the time delay from TREQ to latching (for the EM) is:

.80/.050 clock cycles from TREQ to TACK + 4 clock cycles for GTRC decode =
 =20 clock cycles = 1.0 usec (for 20 MHz clock) = 1.43 usec (for 14 MHz clock)

For the EM the LAT trigger box isn't there; there is some other trigger electronics. With Dave Nelson I see on a scope 1.0 usec between TREQ and TACK trailing edges (~consistent with Mike's .8 usec). Dave says that the GTRC takes 2 clock cycles to put out the latch pulse (~consistent with Mike's 4 clock cycles).

Mikes says the real GASU will add ~6 clock cycles to TREQ-TACK. Thus for a real tower move the dots to the right by .30 usec (@20 Mhz) or .43 usec (@14 Mhz).

1) Type in some data taken (9/21/03) on the EM with a tracker disc threshold = 40 (in the high scale) ~ 120 on the low scale ~ 1.0 minl. 100 triggers per delay. The trigger is the External Scintillator Telescope.

n := 0..9

delay_n := mult_n := σ_n :=

0	.99	.36
10	2.32	.17
20	3.33	.20
30	4.97	.25
40	3.57	.21
50	3.44	.22
60	3.32	.21
70	2.36	.17
80	2.49	.18
90	2.48	.19

There is .16 usec delay in the cosmic telescope electronics and it appears about 13 tick delay in the GLC, TEM, GRC, and delays to the latches.

$$\text{OtherDelays} := \frac{.16}{.05} + 13$$

