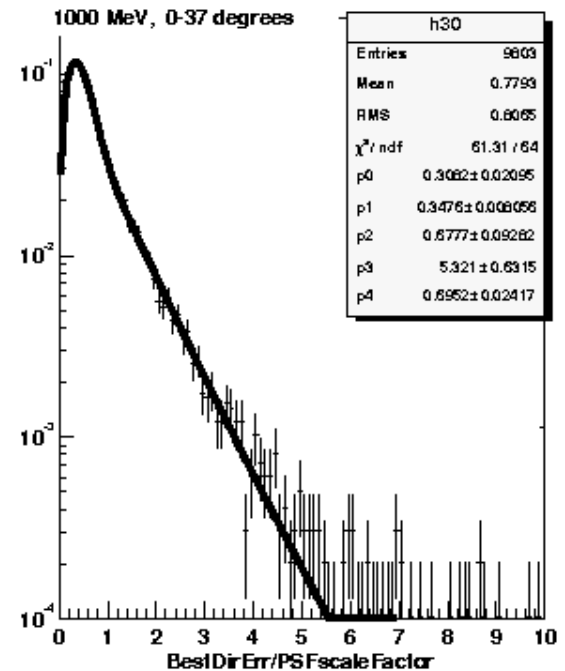
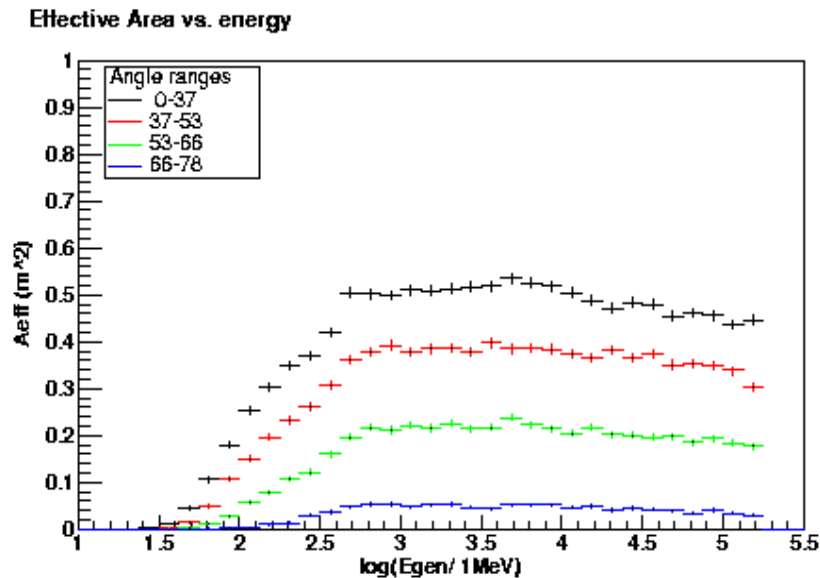
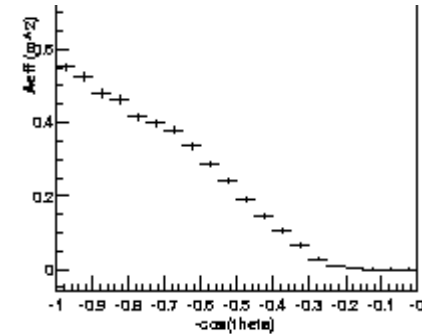


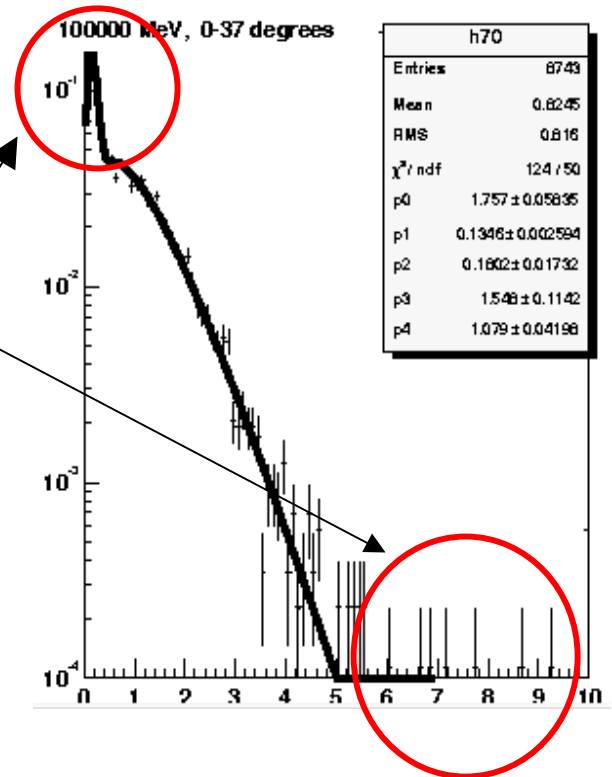
# PSF revisited

- Current representation is based on the 4.7M generated using the all\_gamma source
- Binned in  $\Delta E/E=3.16$ , delta cos theta=0.2
- Generated during hectic weekend before DC1



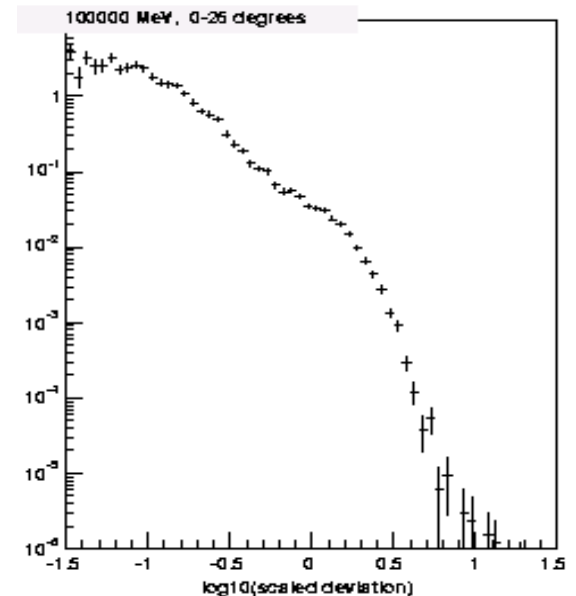
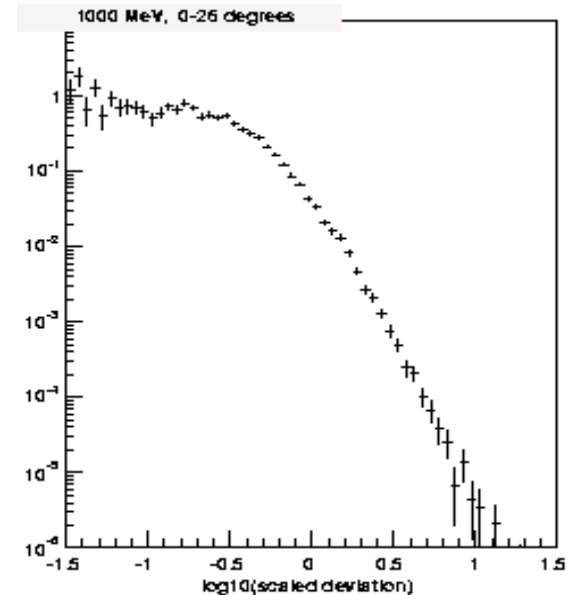
# Why change?

- The ad hoc 5-parameters PSF function (gaussian + power law) not very intuitive, poor fit to the tail. It is not very stable, requires pre-fit to determine parameter estimates.
- Strange behavior at 100 GeV to investigate, made hard by representation, histograms in the deviation itself



# A different look

- Plot the log of the psf *density* vs. the log of the deviation
  - psf density: probability/unit solid angle
- Good statistics for both small and large deviation (factor of 100!)
  - small: constant
  - large: straight line indicates power law, not exponential
- 100 GeV plot shows clearly two components.



# A function inspired by electronics

This looks like the output from a low pass filter (A “Bode plot” of log response vs. log frequency). That function is just the inverse of a polynomial in  $\omega$ .

Relate this to the Gaussian: if both projections are gaussian with variance  $\sigma^2$  then the distribution in the angular deviation  $\theta^2 = \theta_x^2 + \theta_y^2$  (small angle approx)

$$\frac{1}{N_{total}} \frac{dN}{d\Omega} = \frac{1}{2\pi\sigma^2} \exp\left(-\frac{\theta^2}{2\sigma^2}\right)$$

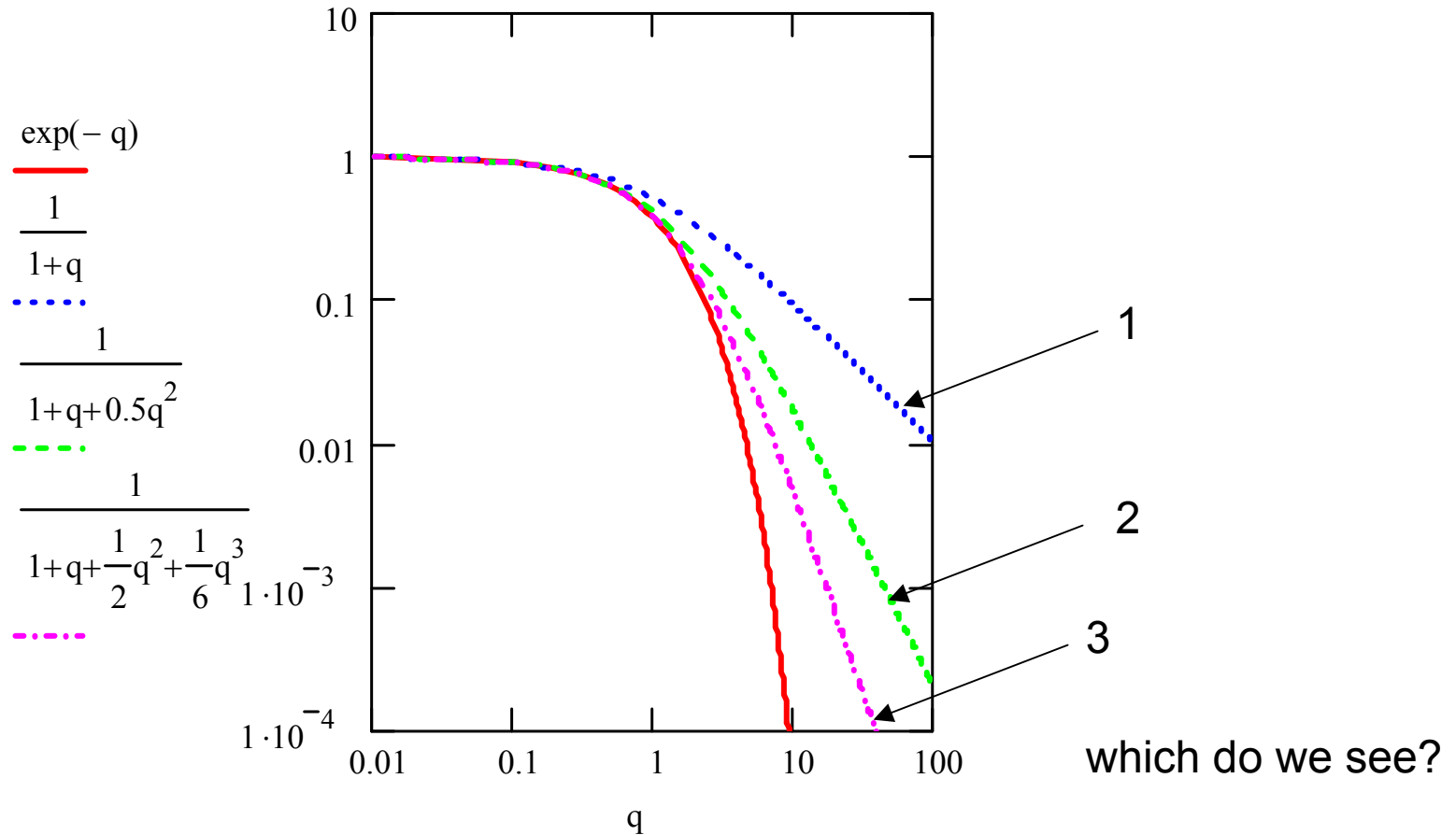
$$g(q) = \exp(-q)$$

Define  $q = \theta^2 / 2\sigma^2$ . use this variable instead:

is the properly normalized density

# Exponential vs. polynomial

But this does not fall off like a exponential, as seen by the data. What if we use the power series for  $\exp(q)$  and truncate it?



# Try a minimal scheme: 3 parameters

x: (scaled) deviation

p[0]: normalization

p[1]: sigma (determined by linear term)

p[2]: shape (ratio of quadratic term to gaussian)

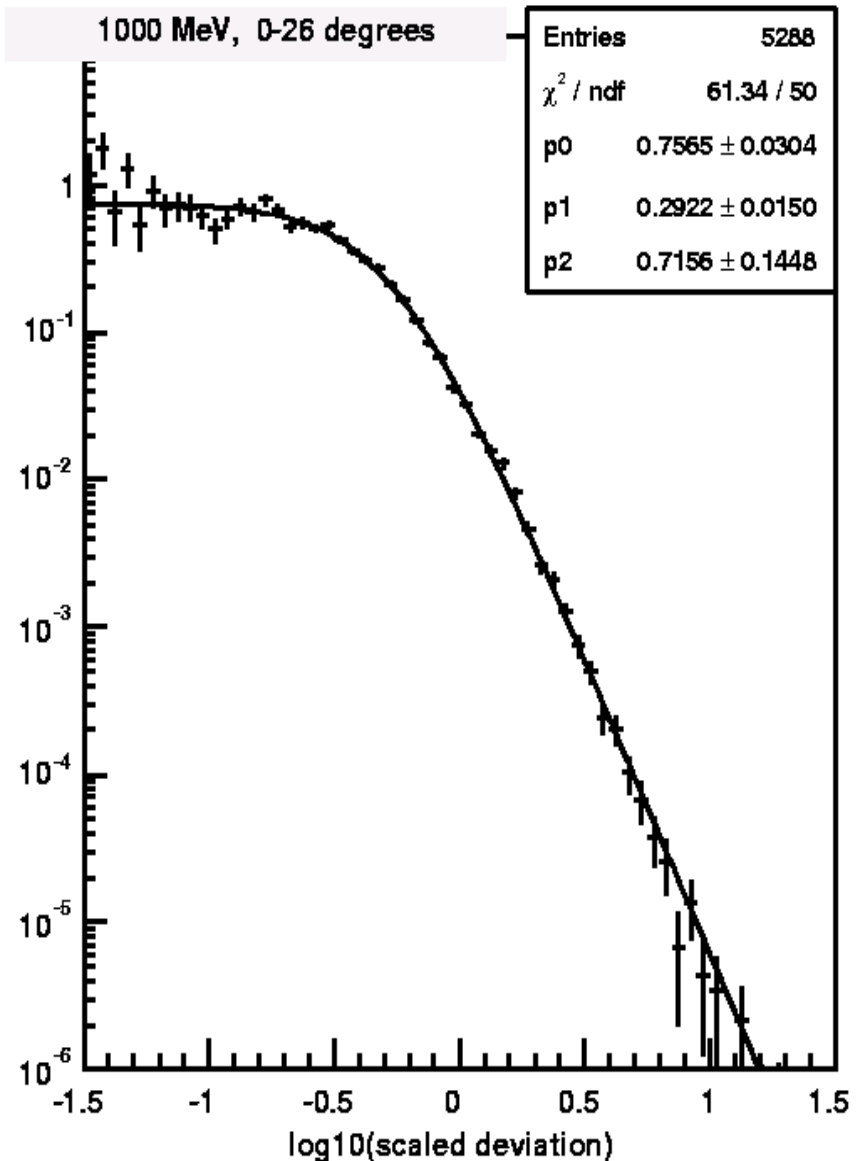
$$q(x) = \frac{1}{2} \cdot \left( \frac{x}{p_1} \right)^2 \quad f(x, p) = \frac{p_0}{1 + q(x) + 0.5 \cdot p_2 \cdot q(x)^2}$$

One advantage: analytic, so  
integral exists in closed form.

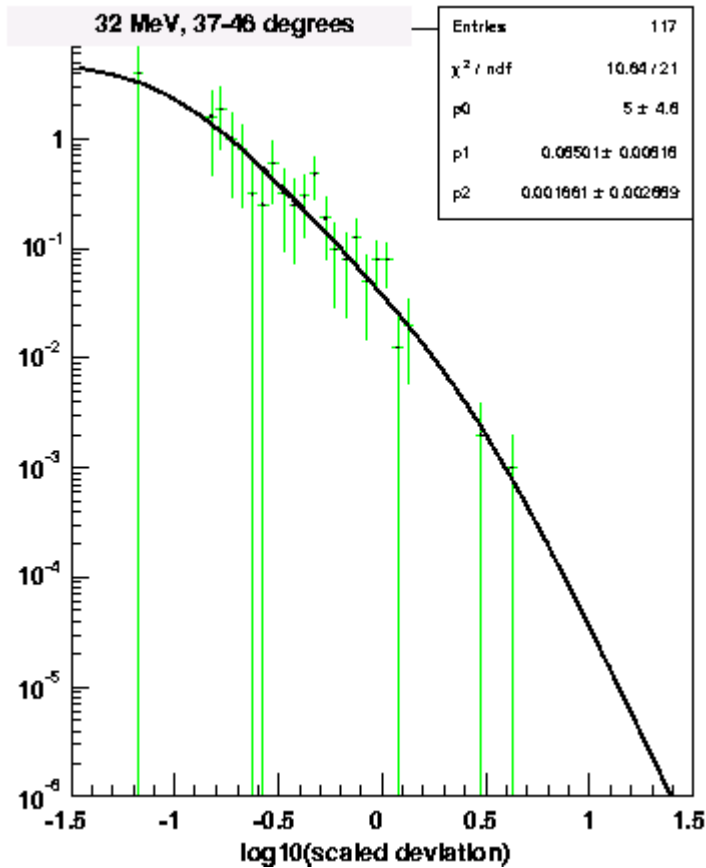
Easy to derive shape  
parameters, like 68%

# The results: first look at 1 GeV

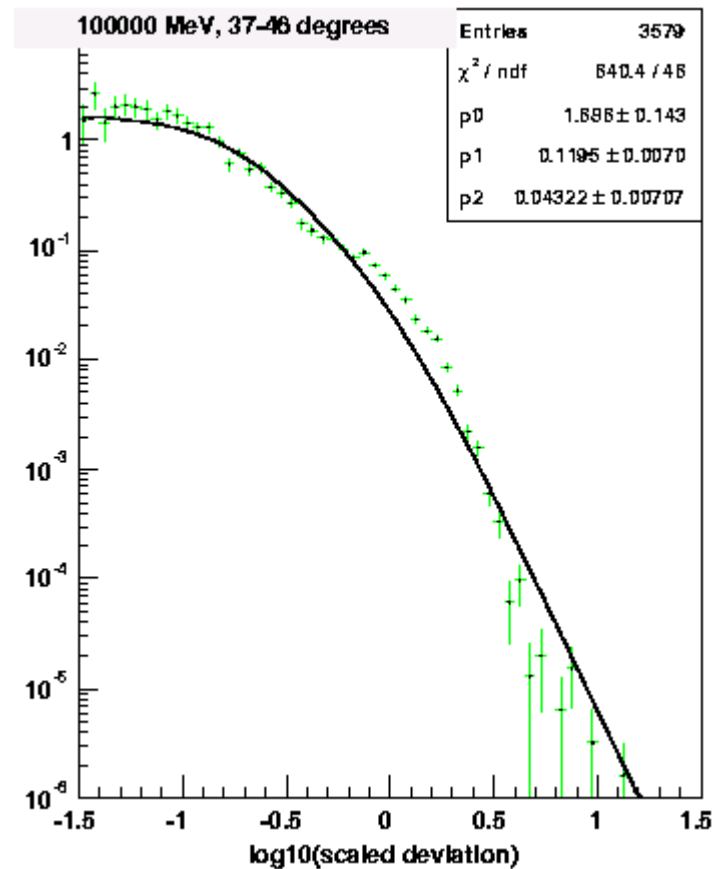
- good fit: slight overestimate at high end, (which could be corrected with a cubic term), but density is very small here.
- In general, quite stable. Only seems to require ~500 events for good representation.



# Some “bad” ones



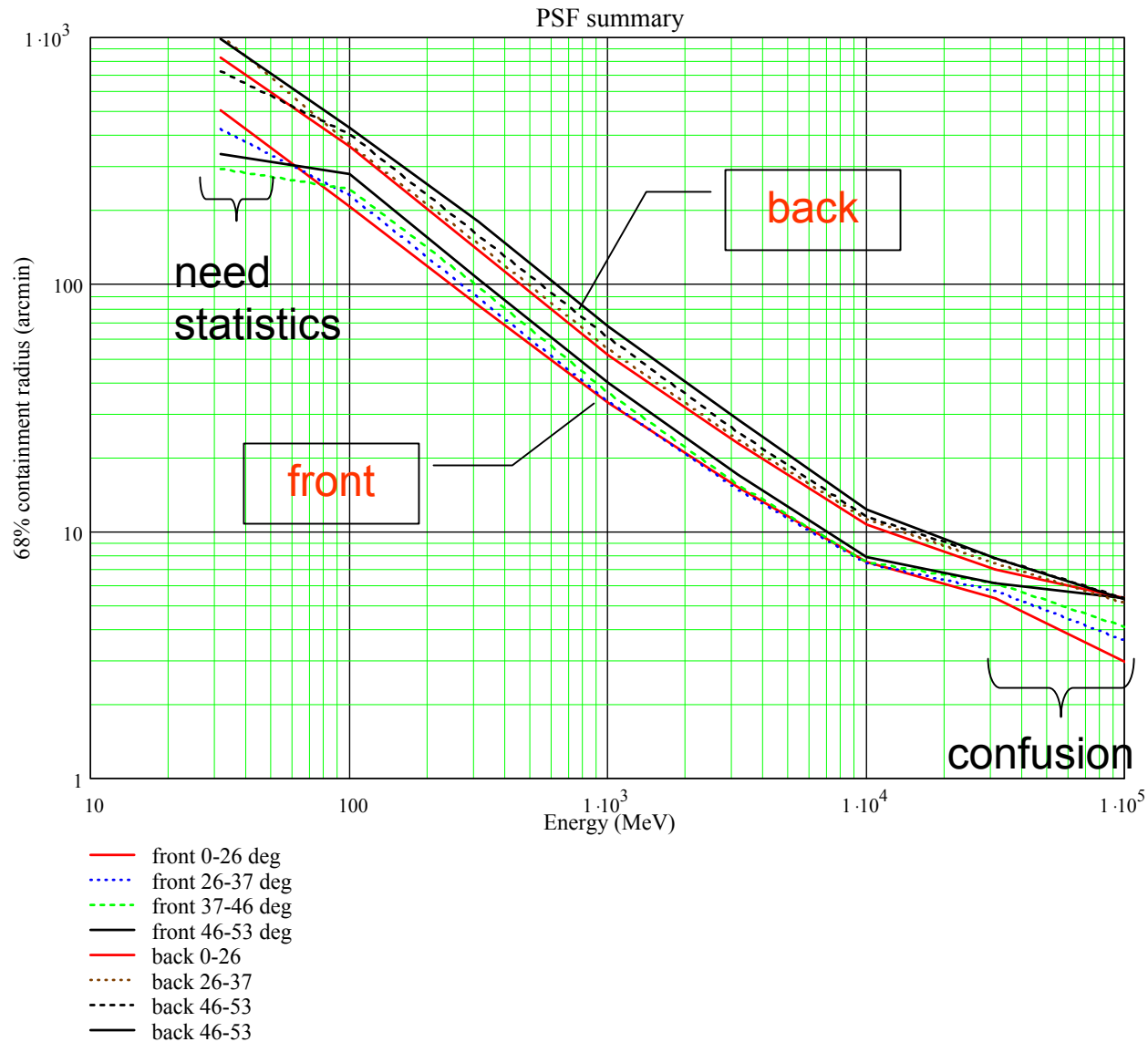
Not enough data—need a larger run for <1 GeV



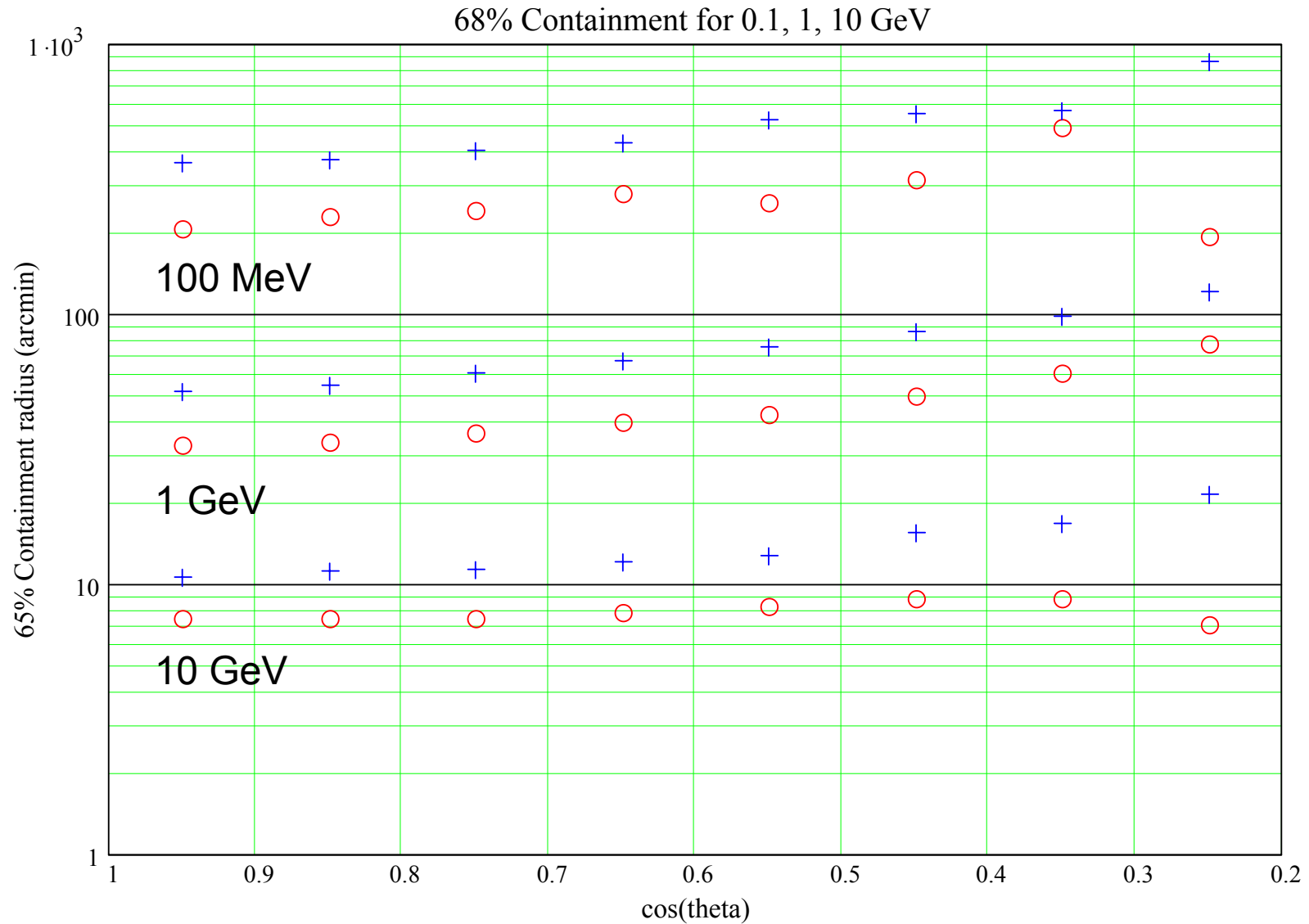
Track fit problem, two components



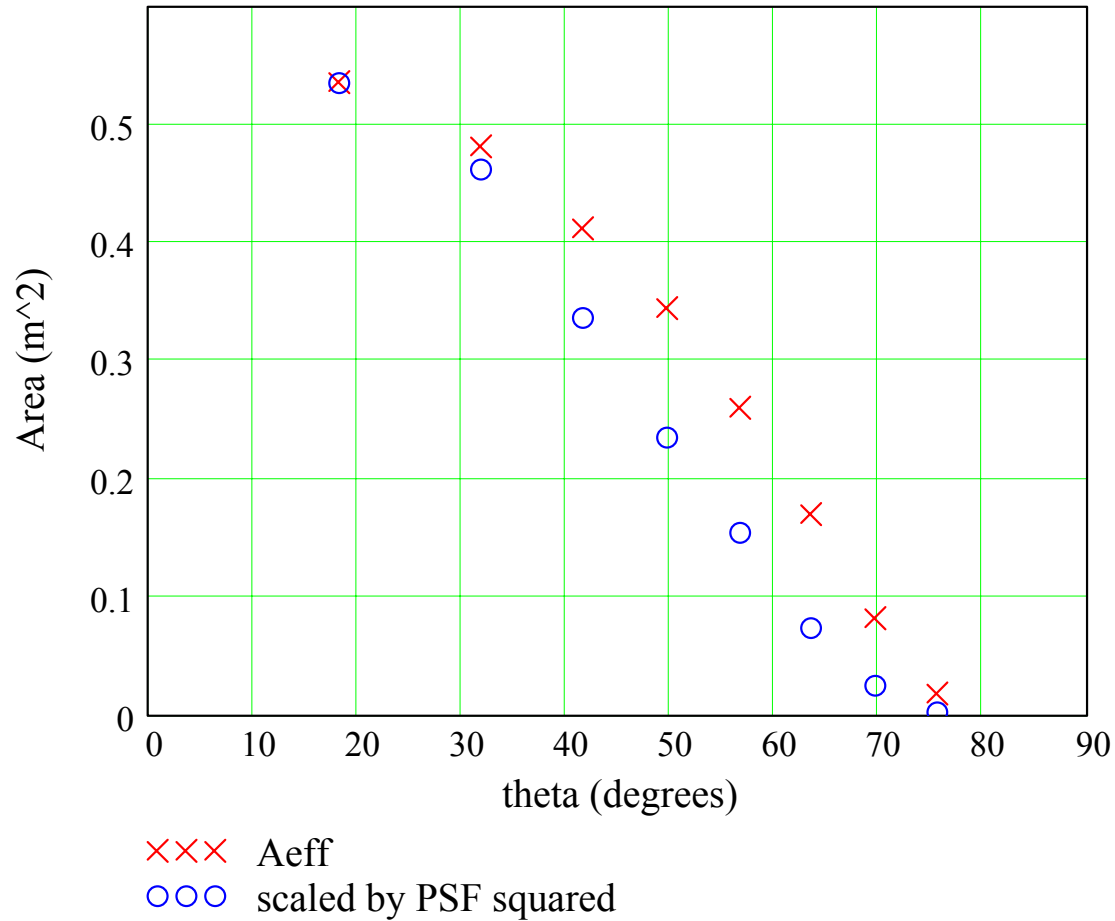
# 68% summary



# Angular dependence in more detail



# Redo the FOV calculation (for 1 GeV)



# Summary

- Where to find this stuff
  - Code: Package is in cvs at users/burnett/THBanalysis, programs psf and psf2 tag v6.
  - These results (except for summary plots)  
<http://glast.phys.washington.edu/DC1/THBanalysis/v6/data>
- What's to do
  - A new run with better statistics for  $E < 100$  MeV
  - Understand track-fit problem with  $E > 10$  GeV